

and called MaCh3.

flux uncertainties [2].

Kamil Skwarczynski NCBJ (Warsaw) Kamil.Skwarczynski@ncbj.gov.pl

Markov Chain Monte Carlo (MCMC) is a N-dimensional directed random walk following regions of high likelihood, meant to explore parameter space. Algorithm for accepting step is shown in Eq. (1), where *logL* is log-likelihood measuring Data/MC agreement [3].

- If -logL in proposed step is lower than logL in a current step, the step is always accepted.
- If -logL in proposed step is greater than in current step, the step might be accepted.

MCMC doesn't find the minimum of -logL, but rather samples the posterior -logL and finds the probability distribution function describing the full model.

Posterior 1D Distribution

- Obtained by marginalizing over N-1 dimensions for each particular systematic parameter.
- Most parameters have Gaussian distributions.
- A big advantage of MCMC is that it can deal with non-Gaussian distribution, which can be consequence of discontinuous likelihoods.

5.Posterior Predictive Distributions

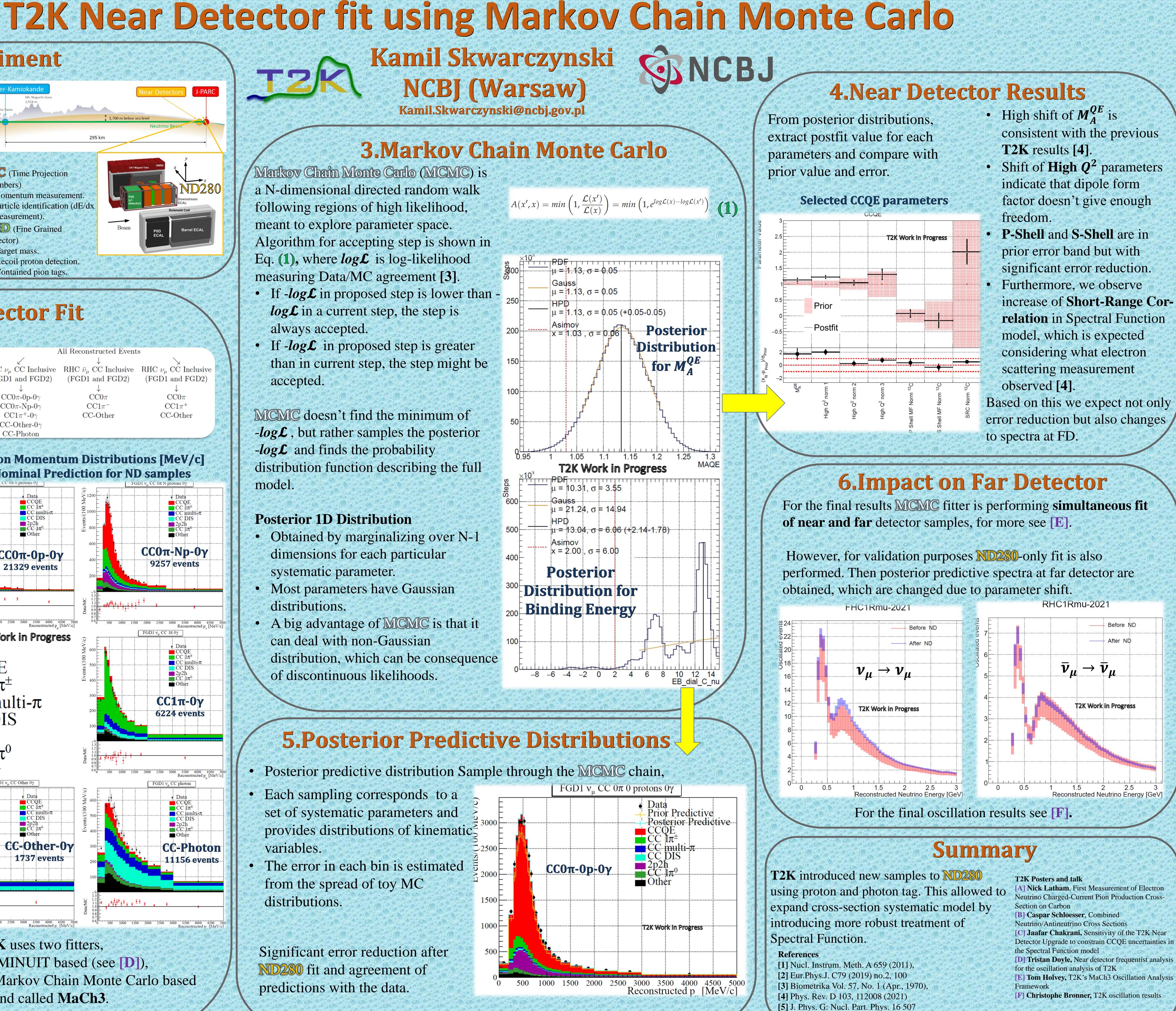
- Posterior predictive distribution Sample through the MCMC chain,
- Each sampling corresponds to a set of systematic parameters and provides distributions of kinematic variables.
- The error in each bin is estimated from the spread of toy MC distributions.

Significant error reduction after ND280 fit and agreement of predictions with the data.

1500

1000

500



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